

The Goal

To craft an upper-division conceptual assessment that exploits the logistical advantages of a multiple-choice (MC) test without sacrificing the insights into student reasoning afforded by an free-response test.

The Assessment

The Colorado Upper-division Electrostatics (CUE) Diagnostic [1]

- Free-response format elements captures student reasoning
- Complex rubric requires significant training to grade; limits scalability

The History

Previous work suggests the best agreement between scores on free-response and multiple-choice questions occurs when ...

- partial credit is allotted for the multiple-choice distractors which represent different levels of understanding [2]
- distractors are crafted based on previous research on student difficulties [3]

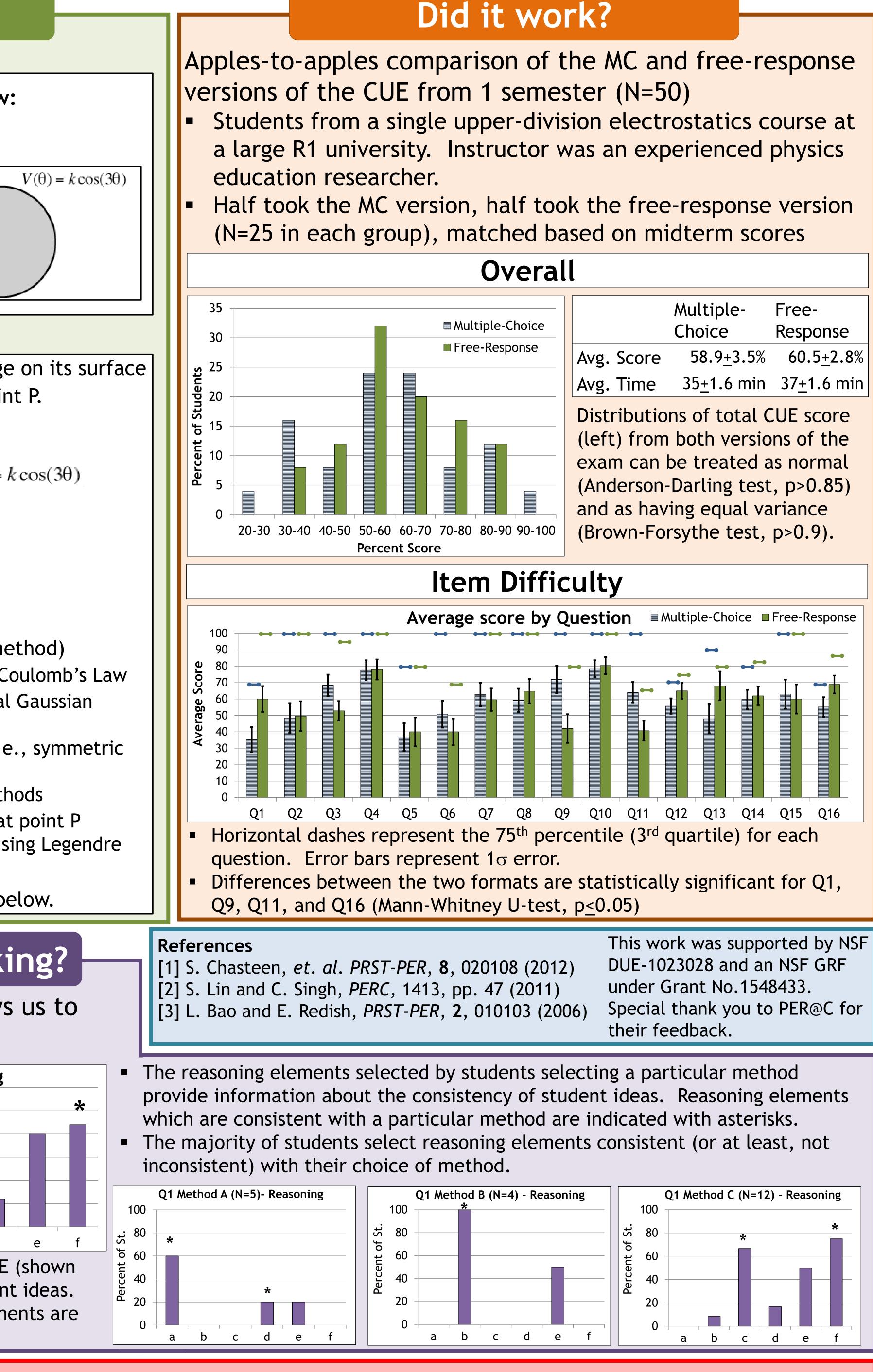
The Approach

- Provide reasoning elements that reflect common student ideas that appear on the free-response version of the CUE
- Allow students to select multiple reasoning elements
- Award partial credit based on the accuracy and consistency of the student's selections.

Conclusions & Future Work

- Preliminary analysis of one semester suggests agreement between average scores on the multiple-choice and free-response CUEs.
- In the multiple-choice format the CUE continues to offer insight into student ideas and reasoning.
- Measures of discrimination and item difficulty for individual items show some differences which require further investigation.
- Future works will focus on additional data collection in order to increase statistical power.

Large Scale Assessment for Upper-division Electricity and Magnetism Bethany Wilcox and Steven Pollock Department of Physics, University of Colorado Boulder What has changed? **Free-response CUE** DO NOT SOLVE the problem, we just want to know: •The general strategy (half credit) •Why you chose that method (half credit) education researcher. $V(\theta) = k\cos(3\theta)$ Q1. An insulating sphere with radius R, with a voltage on its surface $V(\theta) = k$ $cos(3\theta)$. Find \vec{E} or V inside the sphere at • P point P. 35 **Multiple-choice CUE** 30 Q1. An insulating sphere with radius R, with a voltage on its surface **ب** 25 $V(\theta) = k\cos(3\theta)$. Find \overline{E} or V inside the sphere at point P. **p** 20 Select only one: The easiest method would be ... 10 tent A. Direct Integration $V(\theta) = k\cos(3\theta)$ B. Gauss's Law C. Separation of Variables D. Multipole Expansion 20-30 30-40 40-50 E. Ampere's Law Percent Score F. Method of Images • P G. Superposition H. None of the Above **because...** (select **ALL** that support your choice of method) a. \Box you can calculate \overline{E} or V using the integral form of Coulomb's Law b. \Box symmetry allows you to calculate \overline{E} using a spherical Gaussian surface c. the boundary condition is azimuthally symmetric (i.e., symmetric) in φ) a. \Box there is not appropriate symmetry to use other methods b. \Box you can use $\overline{E}(\vec{r}) = -\overline{\nabla}(k \cos 3\theta)$ and evaluate this at point P c. $\Box \nabla^2 V = 0$ inside the sphere and you can solve for V using Legendre Polynomials If you would like to elaborate further, please do so below. References What about student thinking? This new multiple-choice format still allows us to gain insight into student ideas Q1: Reasoning Q1: Method **E** 50 40 Stu **b** 30 inconsistent) with their choice of method. 20 Ceu Q1 Method A (N=5)- Reasoning Distributions of student responses to Q1 of the MC CUE (shown ueo 40 above) provide information about the nature of student ideas. De Per The correct method and corresponding reasoning elements are indicated by asterisks.



Interested in giving the Multiple-choice CUE to your students? Sign up for more infol \downarrow



	Multiple- Choice	Free- Response	
Avg. Score	58.9 <u>+</u> 3.5%	60.5 <u>+</u> 2.8%	
Avg. Time	35 <u>+</u> 1.6 min	37 <u>+</u> 1.6 min	
Distributions of total CUE score (left) from both versions of the exam can be treated as normal (Anderson-Darling test, p>0.85) and as having equal variance (Brown-Forsythe test, p>0.9).			
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